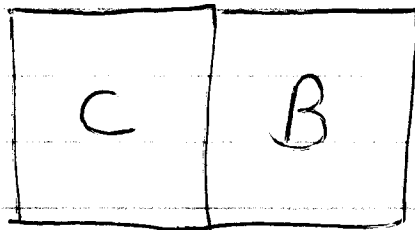
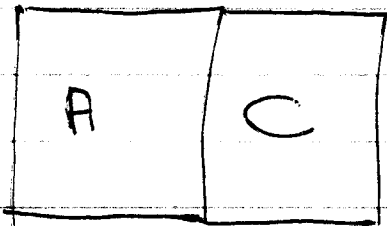


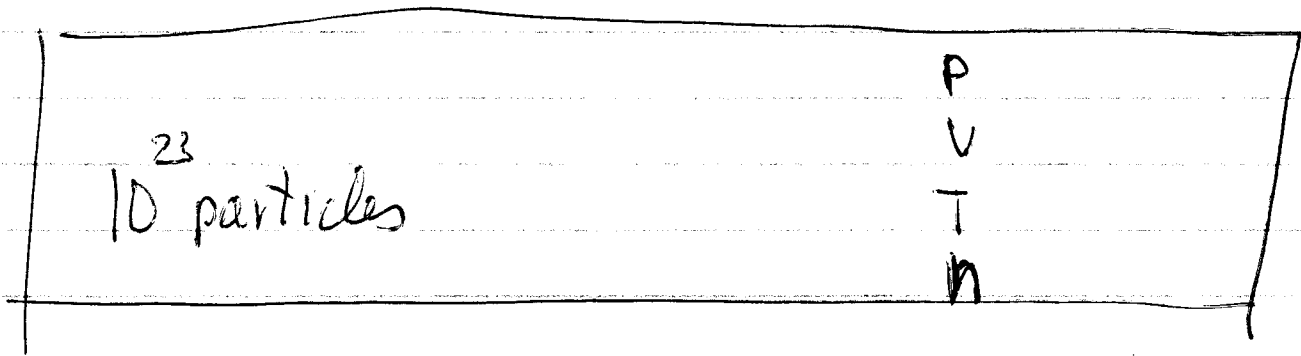
# ZERO<sup>th</sup> LAW



IF A IS IN THERMAL EQUILIBRIUM WITH C,  
AND B IS IN THERMAL EQUILIBRIUM WITH C

THEN A AND B ARE IN THERMAL EQUILIB

GIVE A SYSTEM (MACRO)



We cannot solve <sup>23</sup> 10 NEWTON EQUATIONS!

P, V, T AND n ARE MACRO AVERAGED PROPERTIES.

# THERMOMETER

Physical property  $\propto T$  (linear)

Mercury  $\rightarrow l \propto T$

## Arbitrary scale

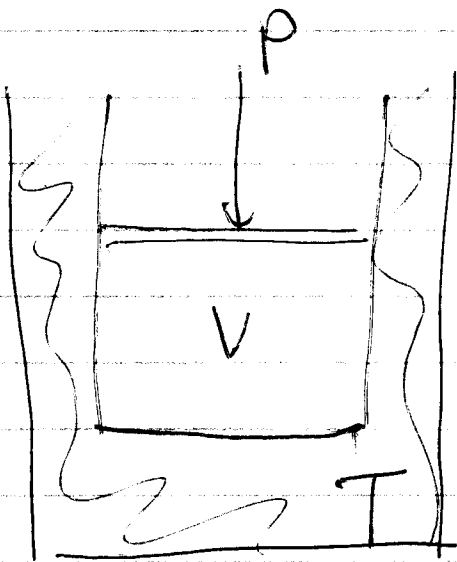
Centigrade	$0^{\circ}\text{C}$ EQUI ICE/WATER (FREEZING POINT)	$100^{\circ}\text{C}$ EQUI BOILING
------------	--------------------------------------------------------------	------------------------------------------

CELSIUS	$0.01^{\circ}\text{C}$ TRIPLE POINT ICE/WATER/VAPOR	1 atm boiling $99.975^{\circ}\text{C}$
---------	-----------------------------------------------------------	-------------------------------------------

$^{\circ}\text{F}$	$0^{\circ}\text{F}$ EQUI ICE/WATER/SALT	$96^{\circ}\text{F}$ BODY TEMP $\Downarrow$ $212^{\circ}\text{F}$ BOILING WATER
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Physical properties are nonlinear.

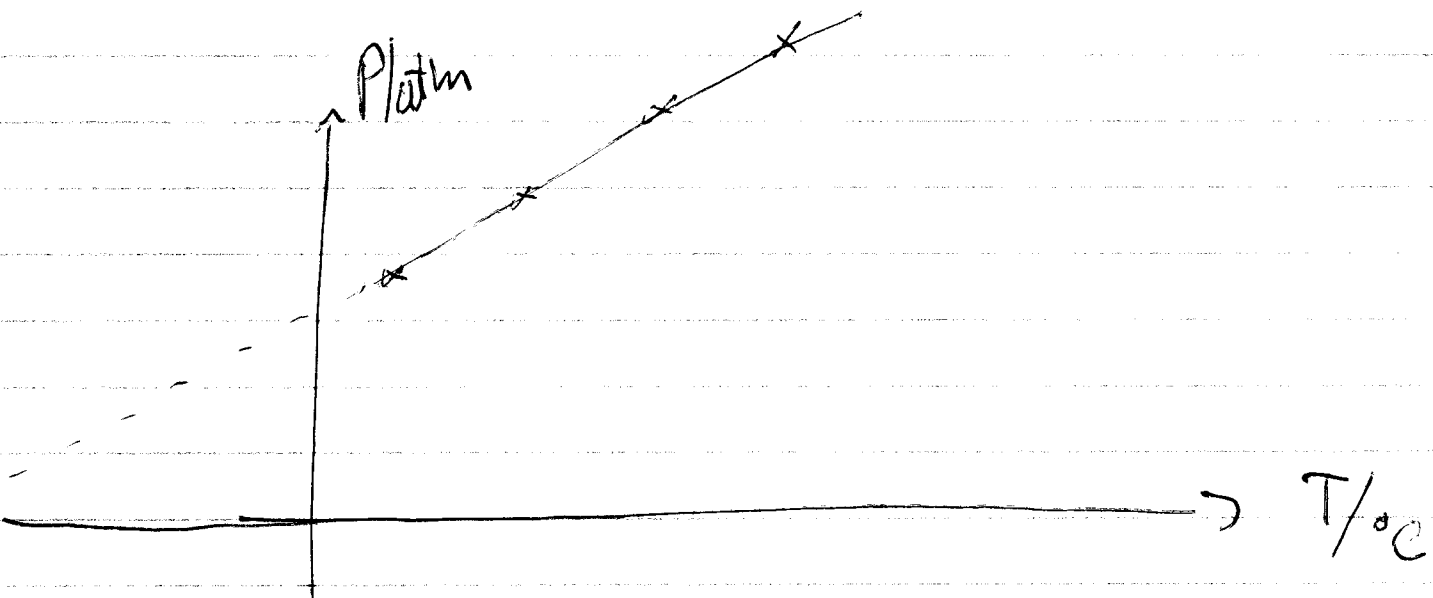
GAS THERMOMETER (LOW PRESSURE GAS.)



$$P \propto T \quad (\text{FIXED } V, n)$$

$$V \propto T \quad (\text{FIXED } P, n)$$

$$V \propto \frac{1}{P} \quad (\text{FIXED } T, n)$$



$$\frac{P}{\text{atm}} = P_0 + \frac{P_0}{273^\circ\text{C}} T_c$$

$$T_c = -273^\circ \text{C} \Rightarrow P = 0!$$

DEF  $T_K \equiv T_c + 273 \text{ K}$

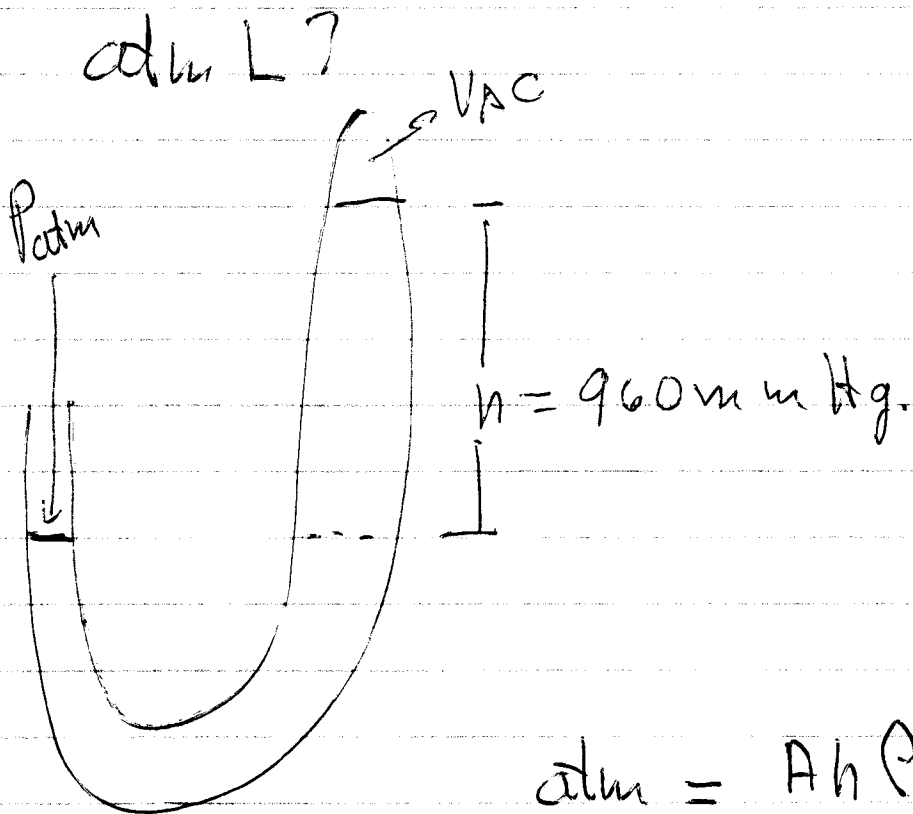
$$\frac{P}{\text{atm}} = \frac{P^0}{273 \text{ K}} T_K \quad (\text{FIXED } V \text{ and } n.)$$

DILUTE GASES (IDEAL OR PERFECT GAS)

$$P V = n R T \quad T \text{ IN KELVIN}$$

$$\frac{P V}{n T} = R$$

$$\frac{1 \text{ atm } 24.2 \text{ L}}{1 \text{ mol } 298 \text{ K}} \approx R = 8.206 \times 10^{-2} \frac{\text{L atm}}{\text{K mol}}$$



$$atm = \frac{Ah \rho_{Hg} g}{A} = hg \rho_{Hg}$$

$$\rho_{Hg} = 1.35 \frac{g}{cc} = 13534 \frac{Kg}{M^3}$$

$$atm L \approx 0.960 M \rho_{Hg} 9.8 \frac{M}{s^2} M^3$$

$$\approx 1 M \frac{10 M}{s^2} M \frac{Kg}{M^3} 1.3534 \cdot 10^4 M^3$$

$$R = 8.314 \frac{J}{K mol}$$

THE RELATION BETWEEN OBSERVABLES

$(P, T, V, n)$  IS AN EXAMPLE OF AN

EQUATION OF STATE

$$PV = nRT$$

$$P = \frac{nRT}{V - b} - \left(\frac{a}{V}\right)^2$$

AT LOW PRESSURE ALL GASES FOLLOW

THE IDEAL OR PERFECT GAS EQ.

$$PV = nRT.$$

$$\begin{aligned} R &= \text{UNIVERSAL GAS CONSTANT} = N_0 k_B \\ &= 8.3144 \text{ J K}^{-1} \text{ mol}^{-1} \\ &= 0.08315 \text{ bar dm}^3 \text{ K}^{-1} \text{ mol}^{-1} \\ &= 0.08206 \text{ atm dm}^3 \text{ K}^{-1} \text{ mol}^{-1} \end{aligned}$$

PRESSURE

PASCAL  $P_a \equiv 1 \text{ N m}^{-2}$  (SI UNITS)

$$\text{bar} = 10^5 \text{ Pa}$$

$$1 \text{ atm} \equiv 101325 \text{ Pa} = 1.01325 \times 10^5 \text{ Pa}$$

$$\text{bar} \approx 10^5 \text{ Pa}$$

$$1 \text{ atm} \approx \text{bar}$$

$$1 \text{ atm} \cdot \text{L} = 101.325 \text{ J}$$

MOLAR VOLUME

$$\frac{V}{n} \equiv \bar{V} = V_m$$

$$\boxed{P\bar{V} = RT}$$

## IDEAL GAS MIXTURES

$$PV = nRT$$

$$= \sum_i n_i RT$$

$$= \sum_i n_i \frac{RT}{V} = \sum_i P_i$$

$$P = \sum_i P_i$$

$$1 = \sum_i \frac{P_i}{P} = \sum_i \frac{n_i}{n} = \sum_i X_i$$

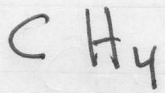
$X_i$  mole fraction

IF YOU KNOW  $n_i$  YOU KNOW THE  
PARTIAL PRESSURE

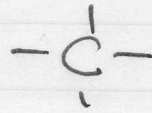
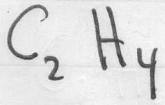
$$\frac{P_i}{P} = X_i = \frac{n_i}{n}$$

$$P_i = \frac{n_i}{n} P$$

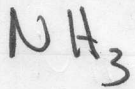
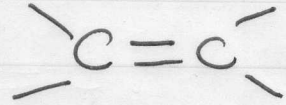




METHANE

 $Z$ 

ETHENE



AMONIA

1

 $\text{H}_2$  $\text{CH}_4$  $\text{C}_2\text{H}_4$  $\text{NH}_3$  $P/\text{atm}$ 

$$Z = \frac{PV}{nRT}$$

## REAL GASES

LET US CONSIDER THE COMPRESSION FACTOR

$$Z \equiv \frac{p\bar{V}}{RT}$$

FOR AN IDEAL GAS i.e.,  $p\bar{V} = RT$ .

$$Z = \frac{p\bar{V}}{RT} = 1$$

WHEN WE PLOT  $Z$  FOR DIFFERENT SUBSTANCES AS A FUNCTION OF PRESSURE, WE OBSERVE A UNIVERSAL AGREEMENT ONLY AT LOW PRESSURES. BUT A GREAT DISAGREEMENT IS OBSERVED AT HIGHER PRESSURES