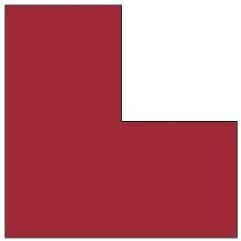


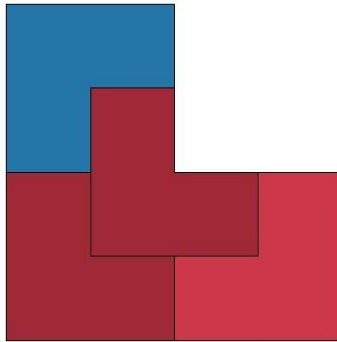
LONG DISTANCE COMMUNICATION IN THE CHAIR TILING

ALEX WESTON
HAO FU
SEBASTIAN DMEAN
HRUMC
APRIL 6TH
2013

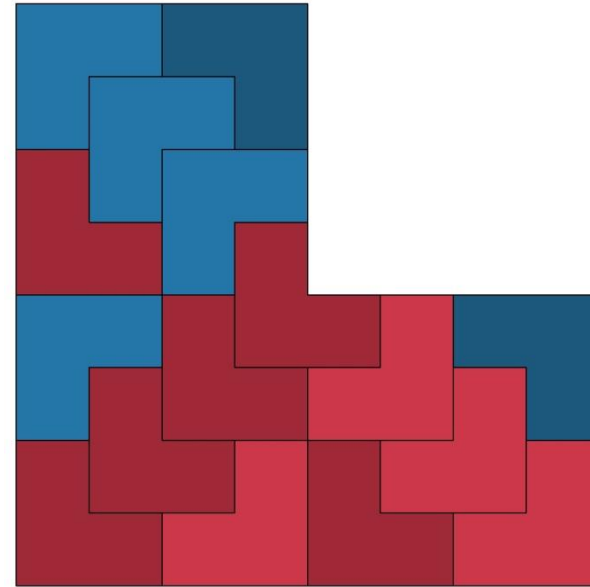
WHAT IS THE CHAIR TILING?



Level 0



Level 2

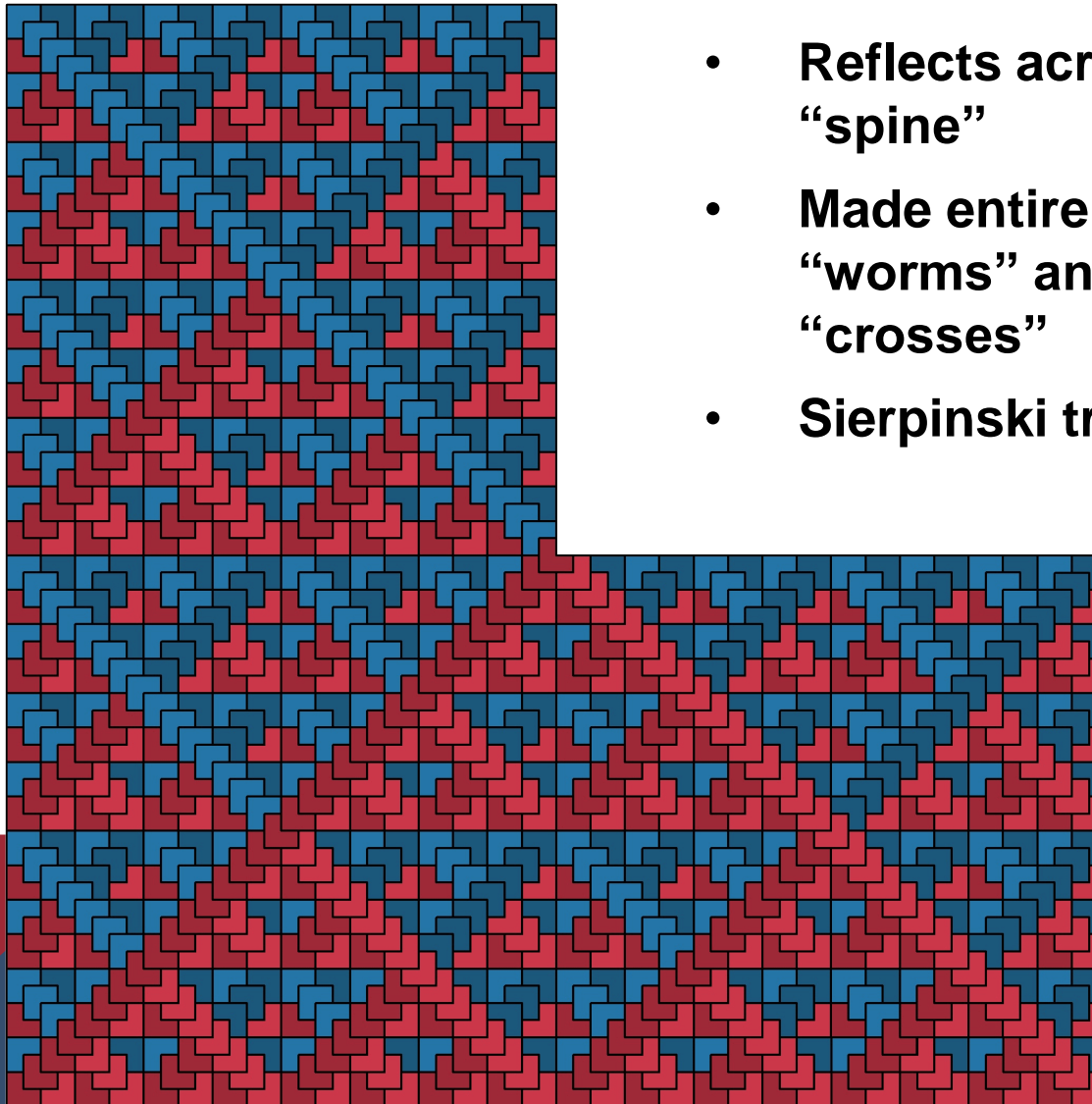


Level 3

and so on

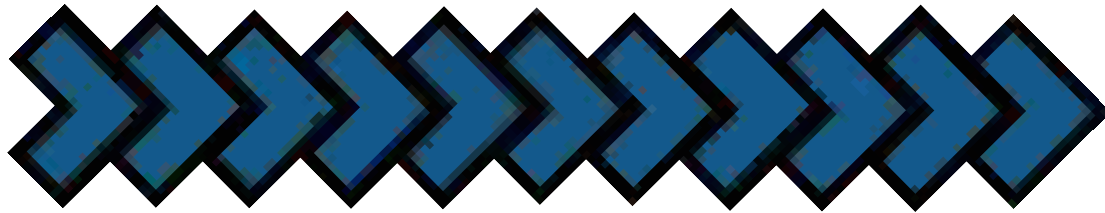
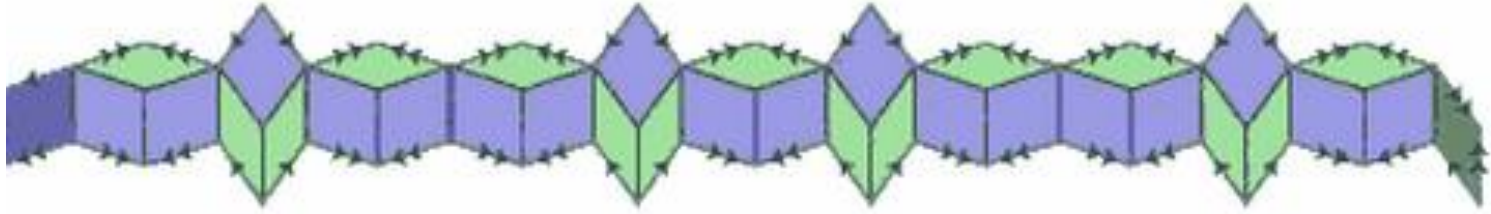


PROPERTIES OF THE CHAIR TILING



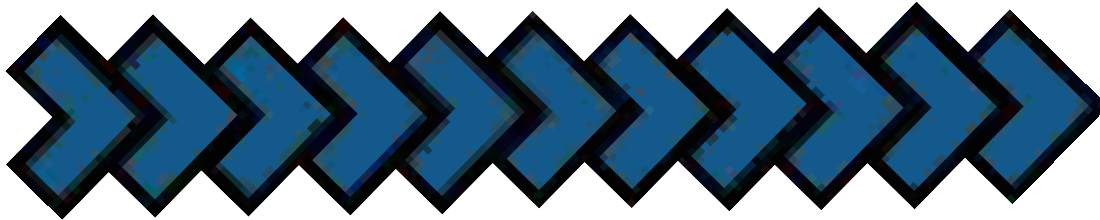
- Reflects across “spine”
- Made entirely of “worms” and “crosses”
- Sierpinski triangles

WORMS

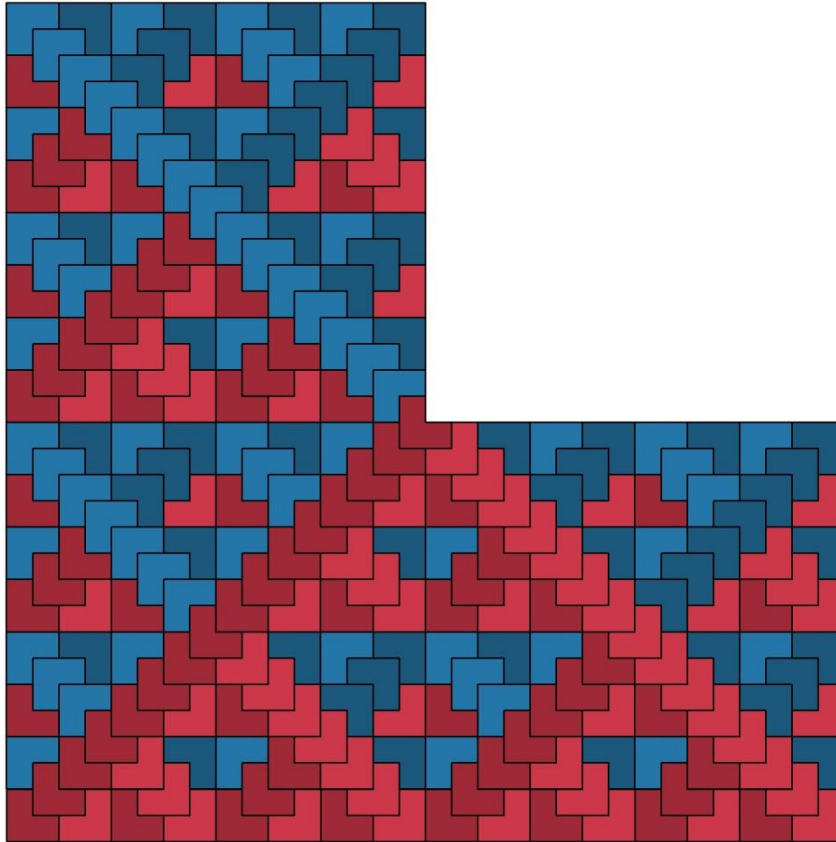


PROPERTIES OF WORMS

- **Worm-levels**
- **Length of worms**
 - “spine” has length 2^n
 - n-level worms have length $2^n - 1$



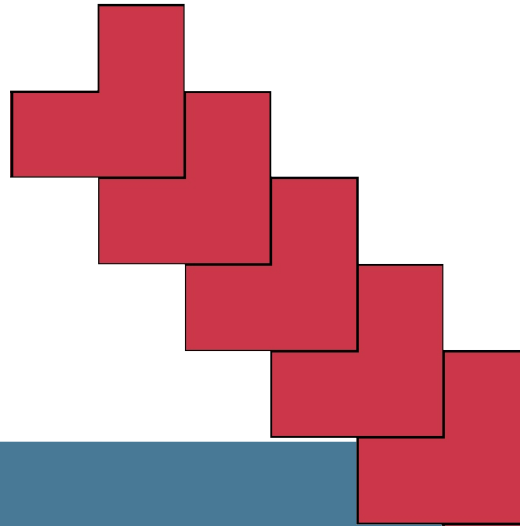
LONG DISTANCE COMMUNICATION



Every worm in the tiling
forms a diagonal of
some supertile

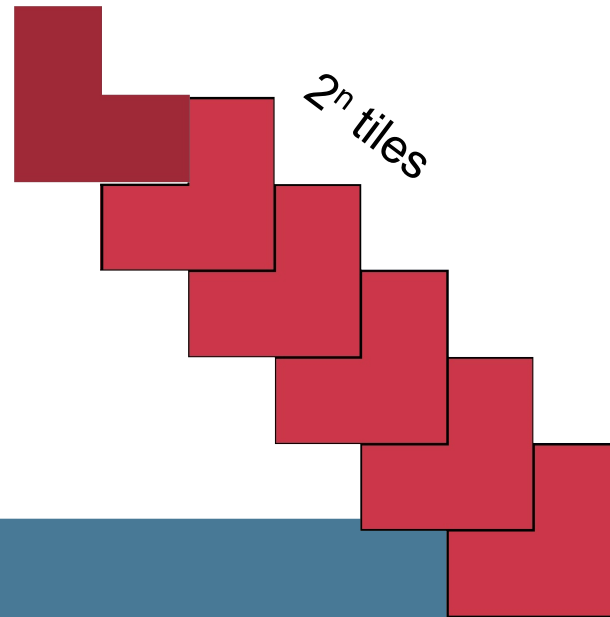
LONG DISTANCE COMMUNICATION

Given a worm of length k that ends in a particular prototile, we know the n th level supertile in the shape of the ending prototile.



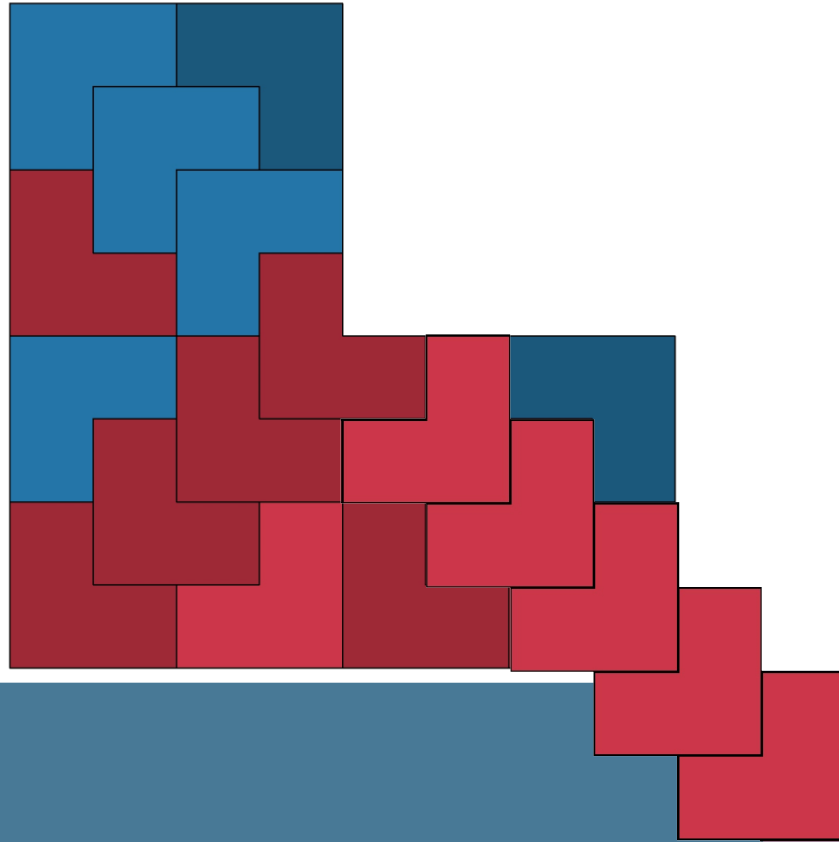
LONG DISTANCE COMMUNICATION

Given a worm of length k that ends in a particular prototile, we know the n th level supertile in the shape of the ending prototile.

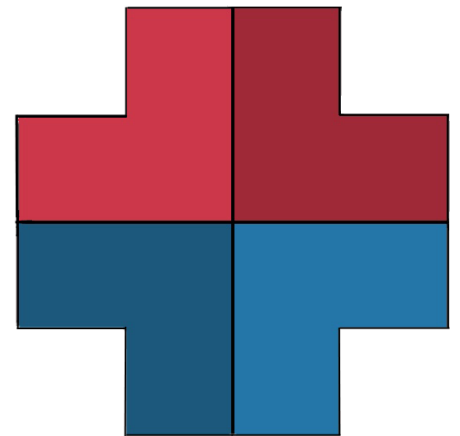
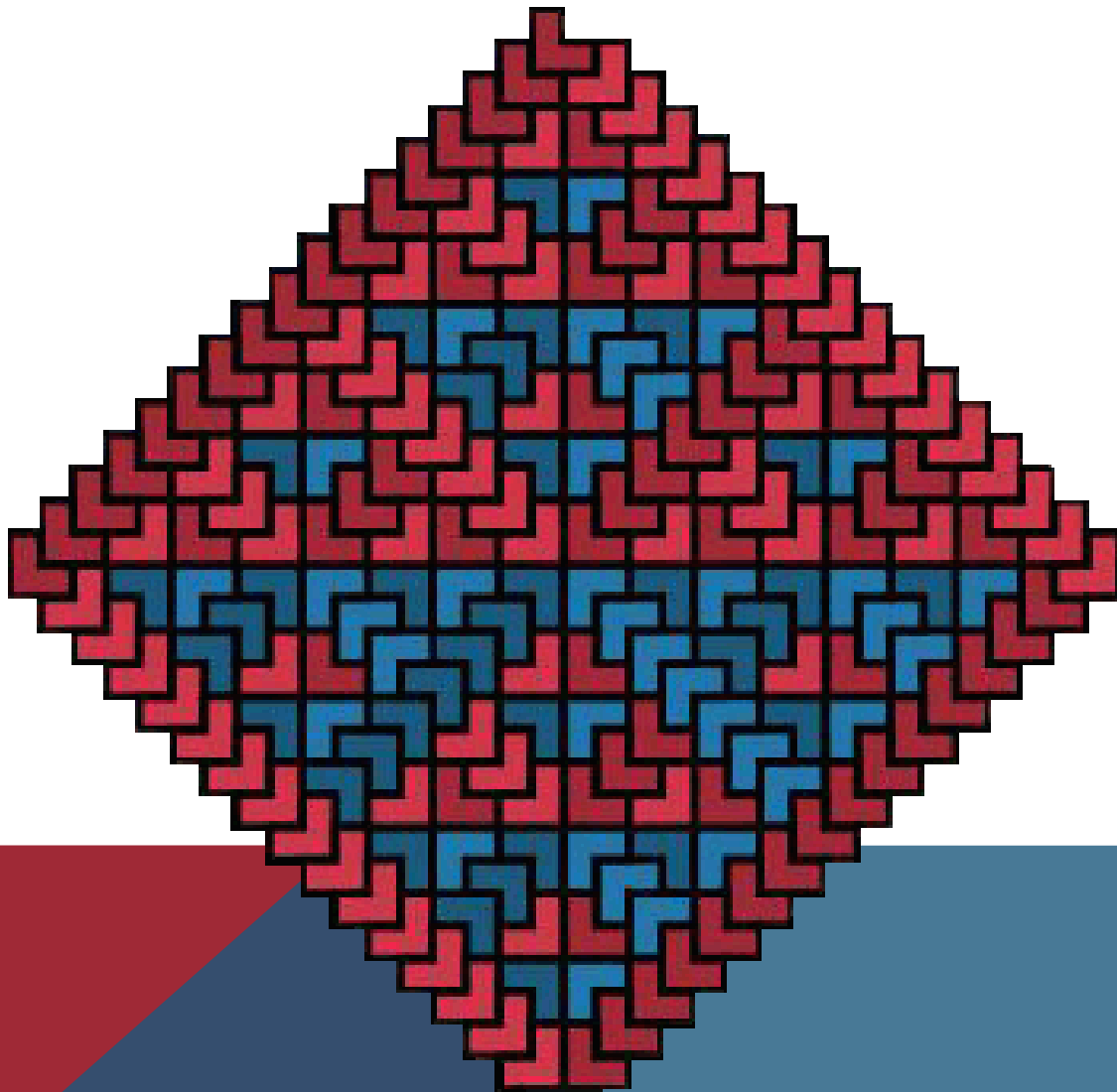


LONG DISTANCE COMMUNICATION

Given a worm of length k that ends in a particular prototile, we know the n th level supertile in the shape of the ending prototile.

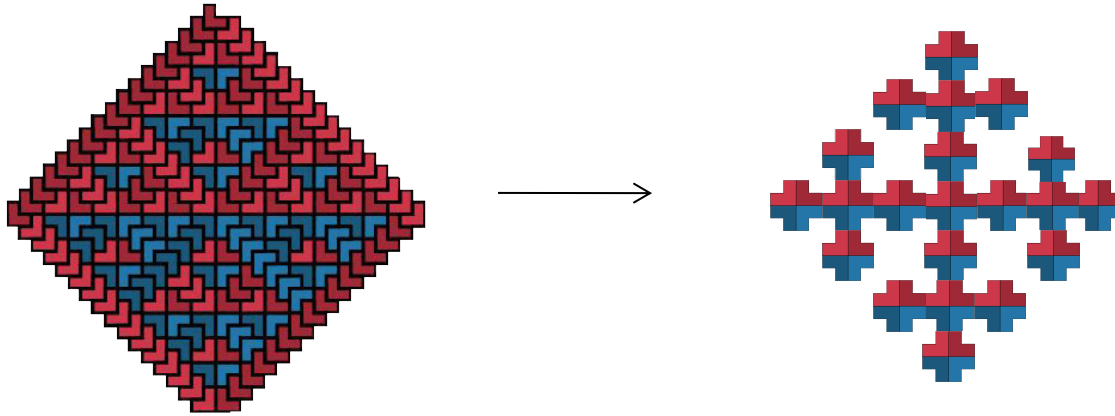


WORMS, SQUARES AND CROSSES



OTHER FORMS OF LONG DISTANCE COMMUNICATION

- Given a square, what can we say about it's surroundings?
- Worms of crosses?



- What information is sufficient to know the whole tiling?

REFERENCES

- Austin, David. "Penrose Tiles Talk Across Miles",
Feature Column, American Mathematical Society

