

A Precise Measurement of the Stark Shift in  
the  $6P_{1/2} \rightarrow 7S_{1/2}$  378 nm Transition in  
Thallium

Final Thesis Talk

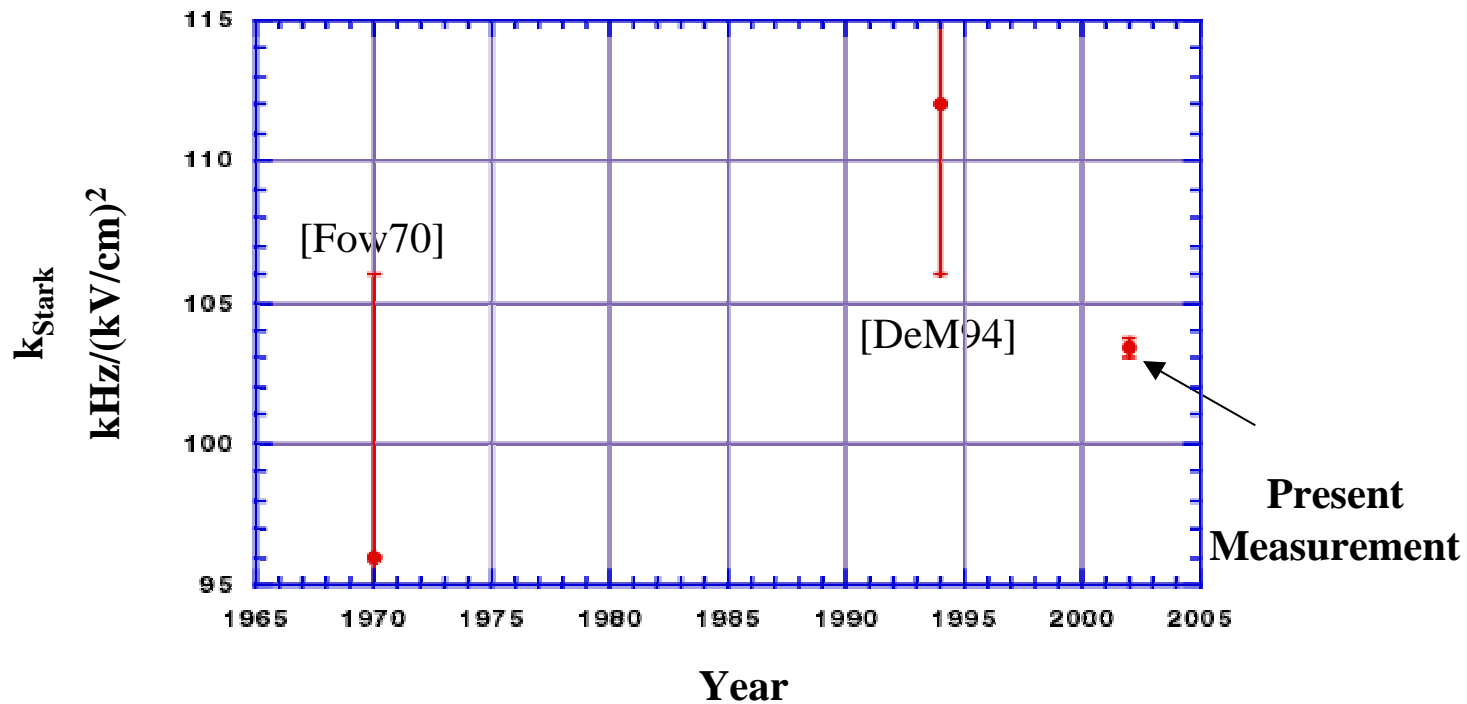
May 13, 2002

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Previous work by Andrew Speck '00, Paul Friedberg '01,  
D.S. Richardson, PhD

# Summary of Stark Shift Measurements

$$= k_{\text{Stark}} E^2$$



$$k_{\text{Stark}} = 103.34(37) \text{ kHz}/(\text{kV}/\text{cm})^2$$

# Why Bother?

- Low energy AMO physics can be used to set stringent limits on fundamental physical quantities
- Parity non-conservation measurements give both evidence for and tests of fundamental physics
- Of interest here:  $Q_w$ , predicted by elementary particle theory

According to Atomic Physics:

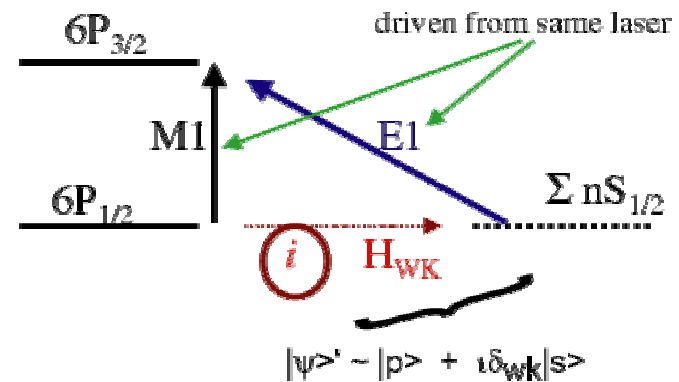
$$E_{\text{PNC}} = Q_w * C(Z)$$

Group	Element	Experimental Precision	Atomic Theory Precision
Colorado '88	Cesium	2%	1%
Oxford '91	Bismuth	2%	8%
UW '93	Lead	1.2%	8%
Berkeley	Ytterbium	ongoing	Isotopic ratios..
UW '95	Thallium	1.2%	2.5% (new, 2001)
Colorado '97	Cesium	0.35%	~ 1% (or less)

# Where does $k_{\text{Stark}}$ come into play?

- $C(Z)$  based on an infinite sum of  $E1$  matrix elements\*

$${}^*_1 e\vec{r} \quad {}_2 d^3\vec{r}$$



- $k_{\text{Stark}}$  calculable from an infinite sum over all wavefunctions

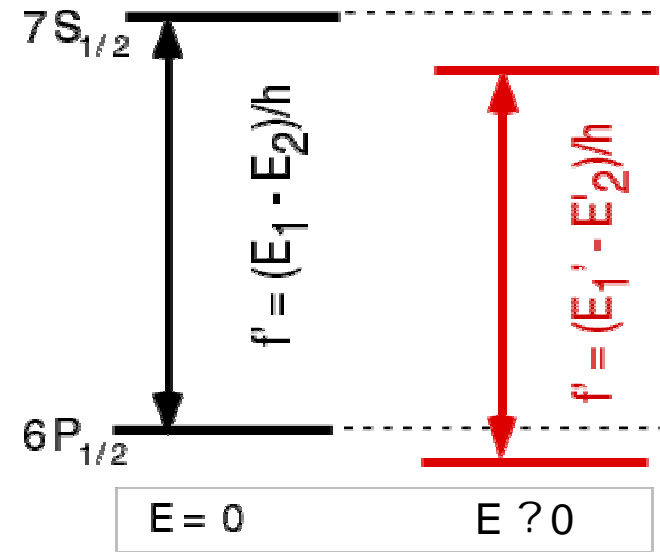
So, if your wavefunction approximations can accurately calculate  $k_{\text{Stark}}$ , they should be adequate for an accurate determination of  $C(Z)$  as well!

\* details available upon request

# How to measure?

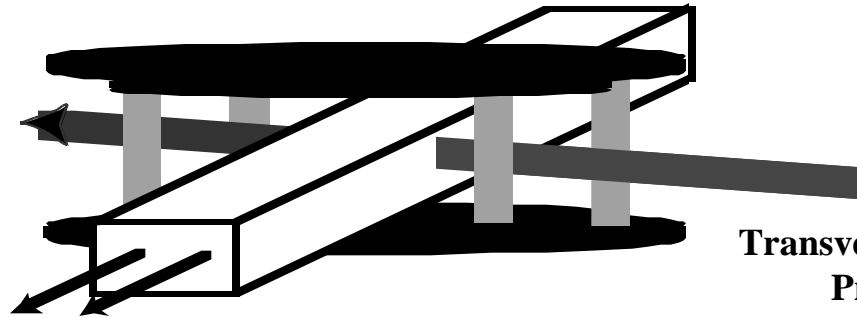
2<sup>nd</sup> order Perturbation Theory:

$$= k_{\text{Stark}} E^2$$



Interaction Region:

Electric Field Plate



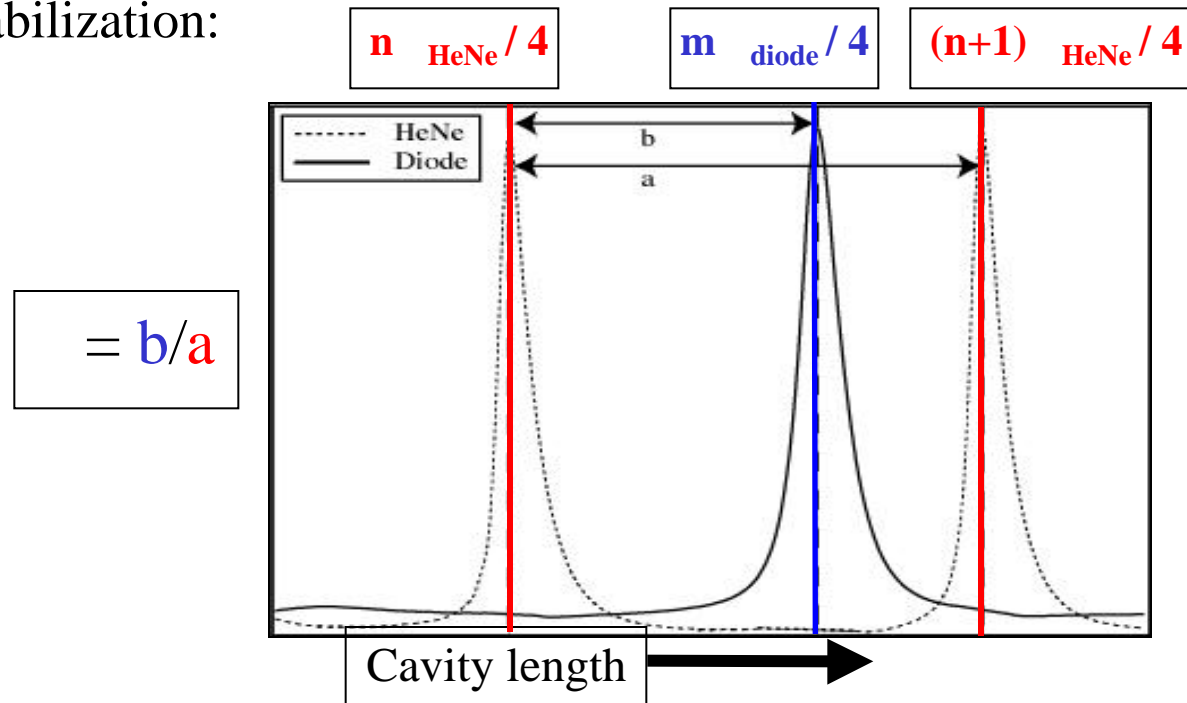
Collimated  
Atomic Beam

Transverse Laser  
Probe

Here:  $f = f' - f < 0$

# Optical System:

Frequency Stabilization:



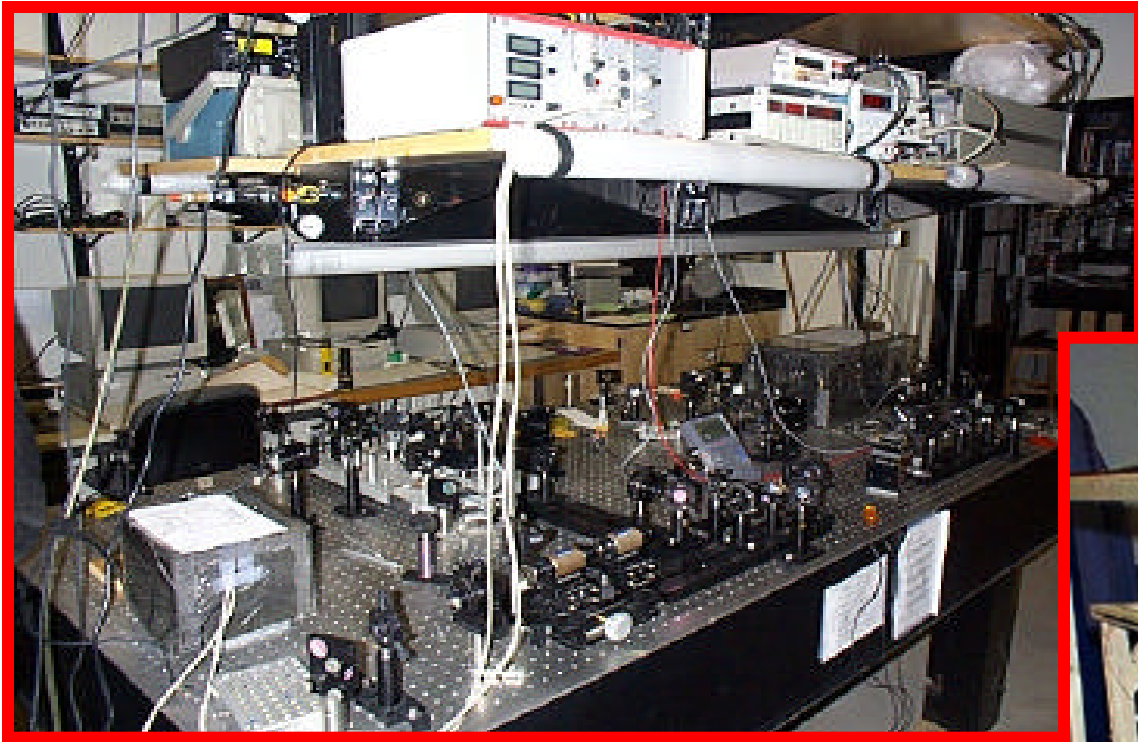
Frequency Tuning:

1) Adjust  $0 < \nu < 1 \sim 800$  MHz range

-susceptible to mis-measurement of FSR, slow, manual

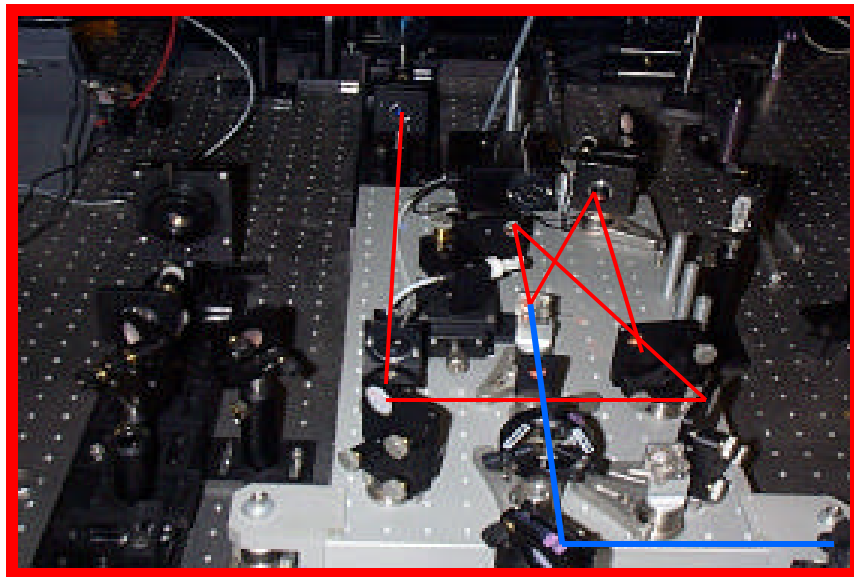
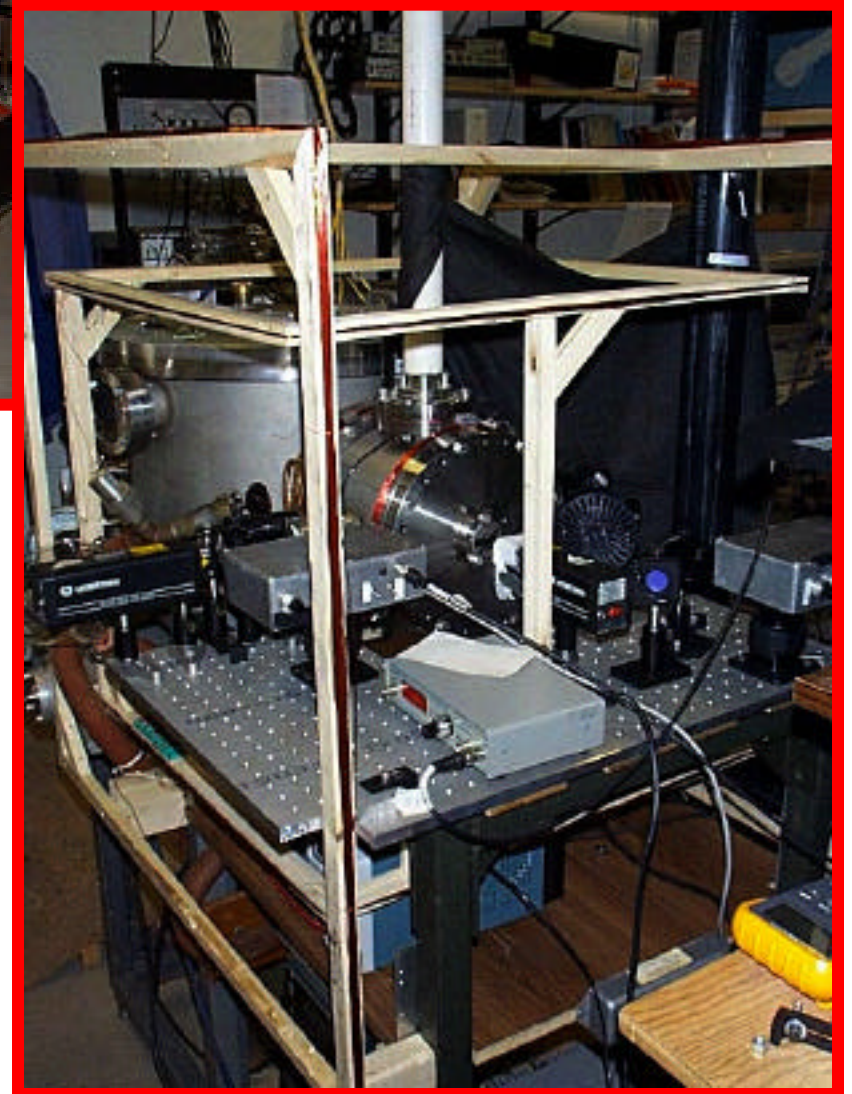
2) Acousto-Optic Modulator precisely shifts laser frequency at fixed  $\sim 100$  MHz range

- synthesizer precision, instantaneous, computer control, steering problems



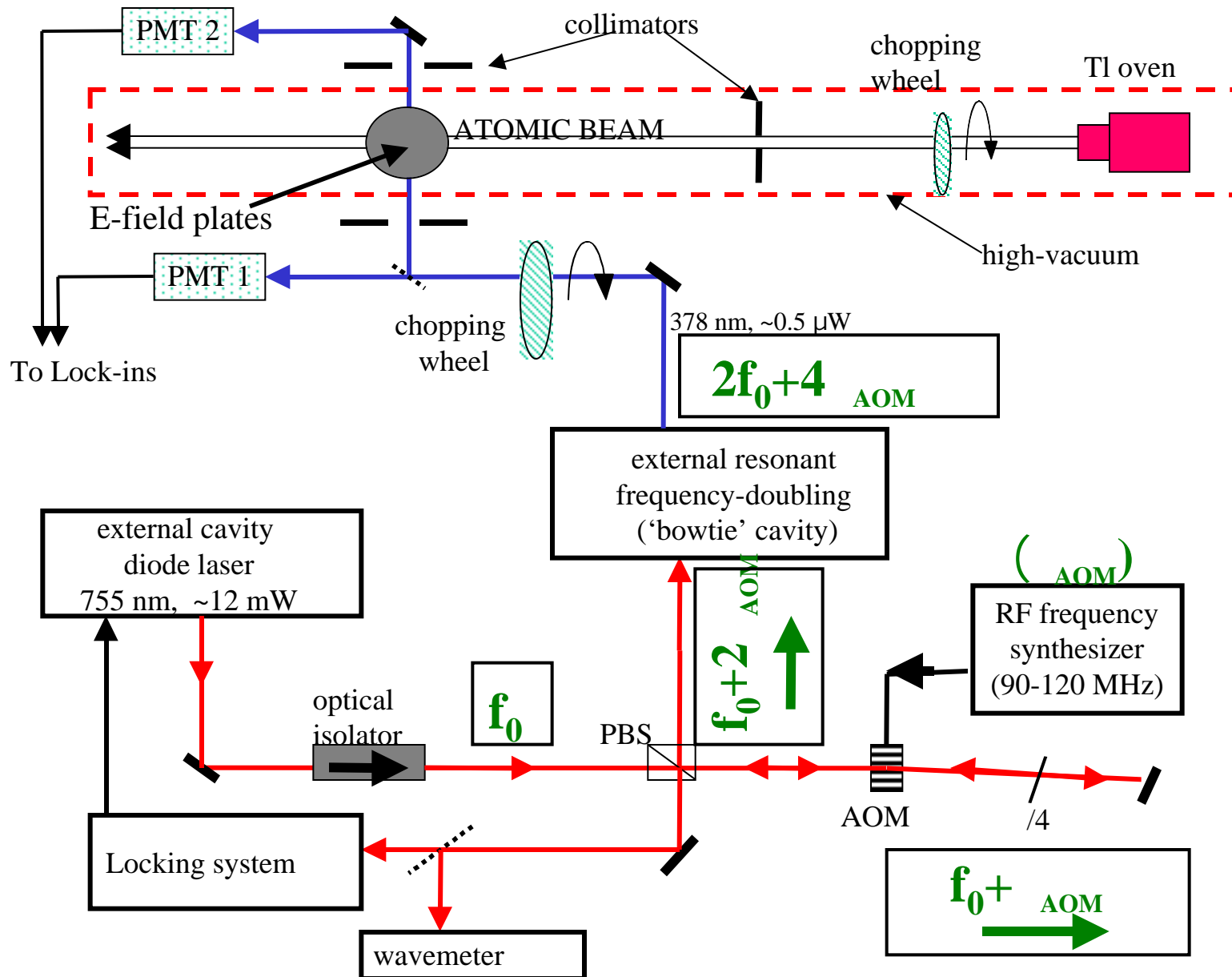
← Optical Table

Interaction Region



Doubling Cavity

# Atomic Beam and Optical System Layout





# Data Collection/Signal Processing

## Chopping System:

- Laser Beam chopping rejects any noise with frequency components other than the modulation frequency – 1400 Hz
- Atomic Beam chopping to correct for optical table drifts, beam density fluctuations, etc. – 1Hz

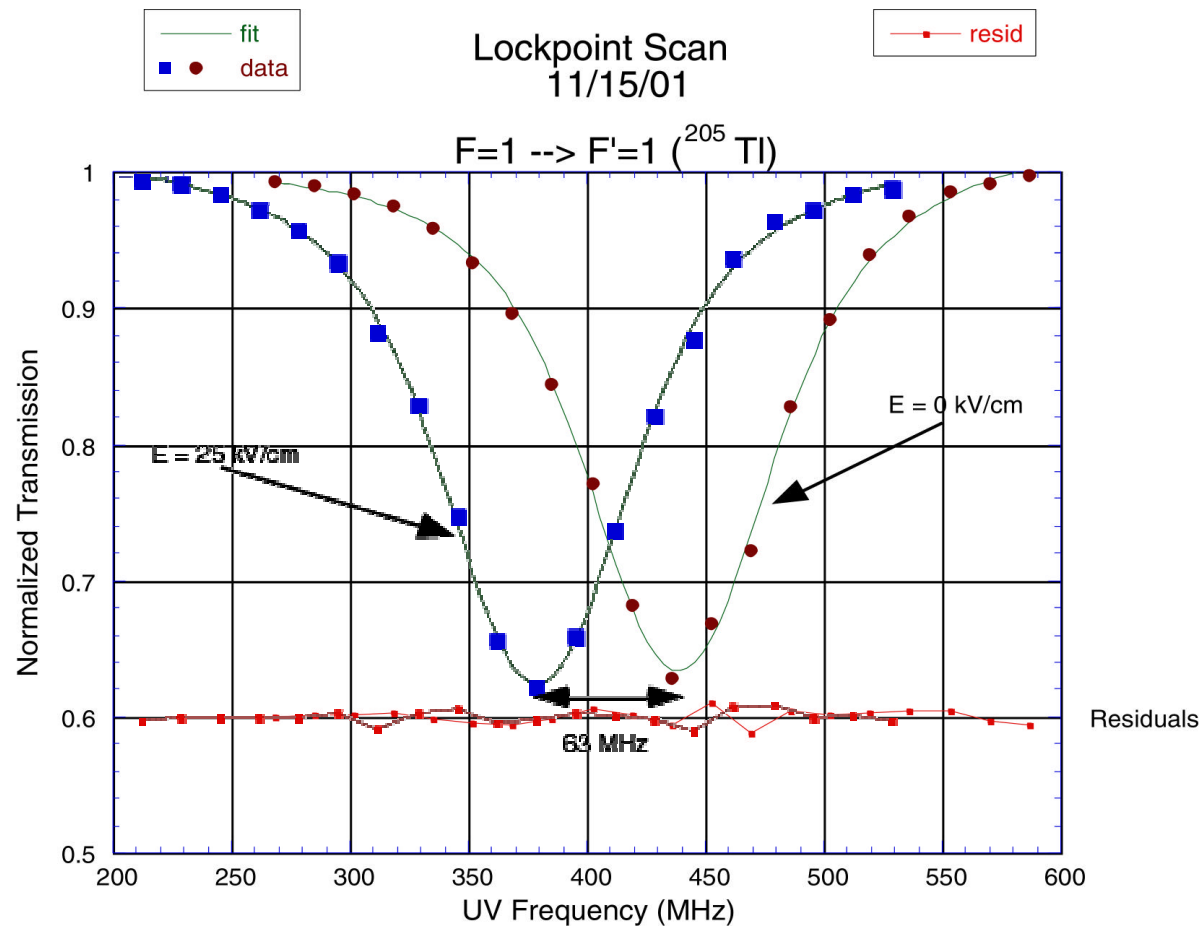
## Division/Subtraction Schemes:

- Extra PMT for laser beam intensity normalization
- Interested in difference signal A-B  $\underbrace{A - B}_{M1}$   $\underbrace{B - A}_{M2}$
- Collect data in ABBA format to minimize the effects of linear drifts

# Measurement Methods

## Frequency Scan:

- **Sequentially lock the diode laser, calibrate “ ”**
- **Scan over single line of  $^{205}\text{Tl}$ . Fit data to Voigt transmission profile**



$$k_{\text{Stark}} = \frac{63 \text{ MHz}}{(25 \text{ kV/cm})^2}$$

$$= 101 \text{ kHz}/(\text{kV/cm})^2$$

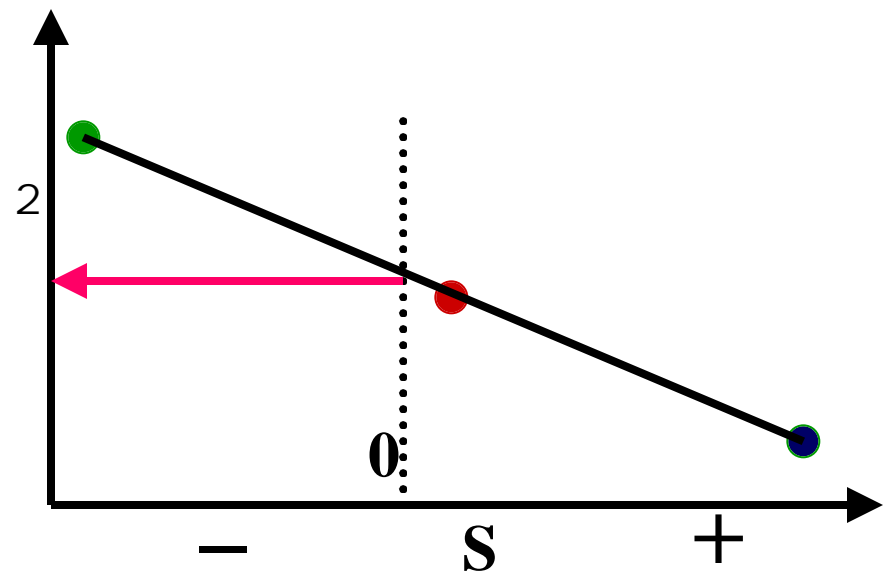
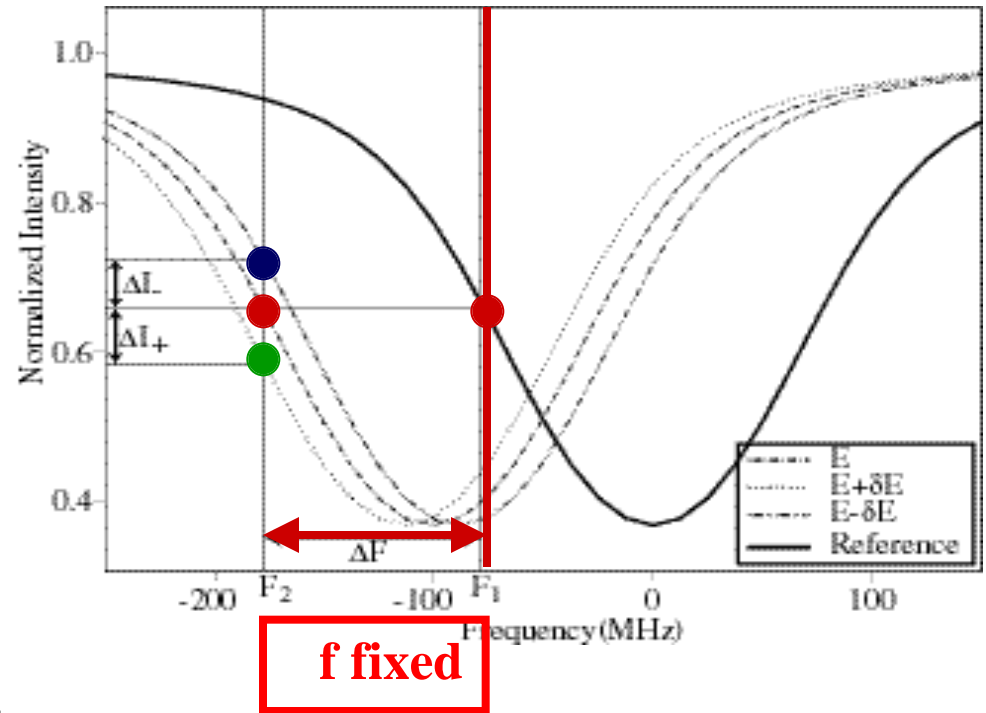
# Transmission Change:

(1) Lock laser to inflection point of transmission curve (dip), measure  $S = T/N$  ( $E = 0$ )

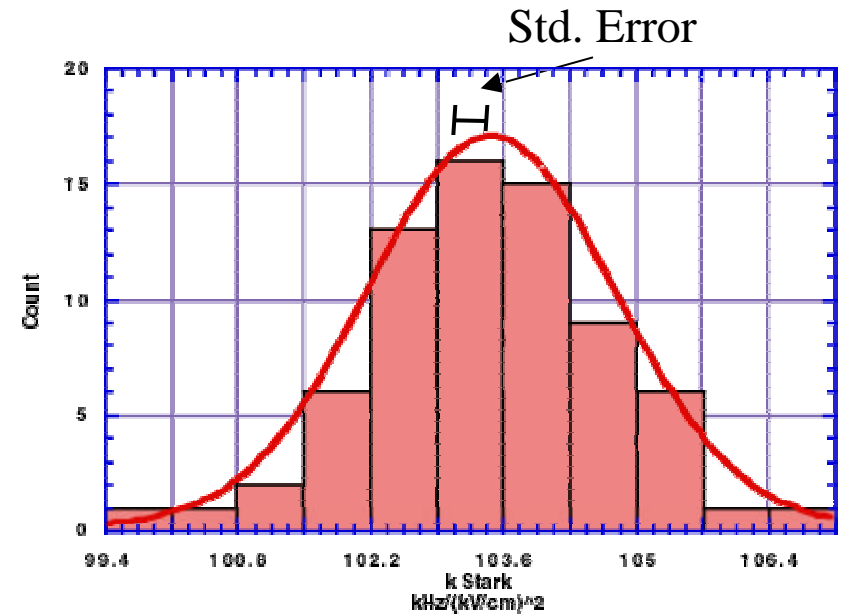
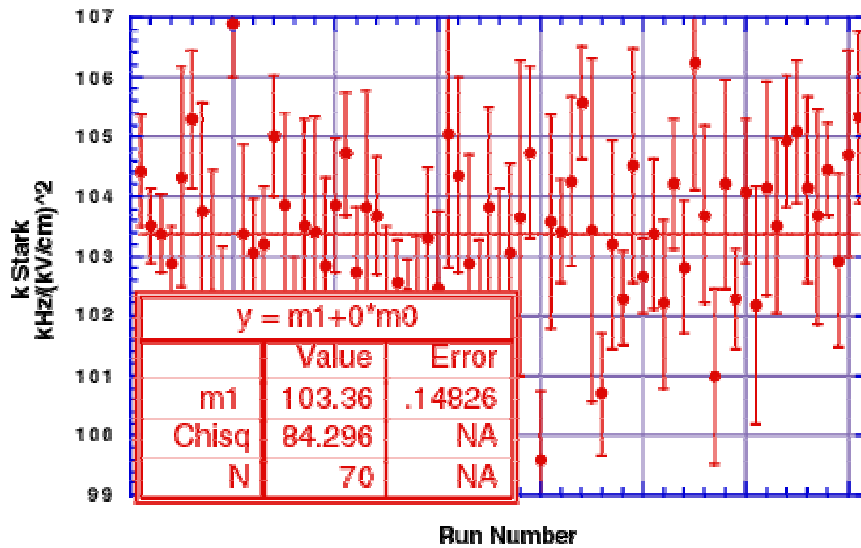
(2) - Turn on Electric field ( $E = E_0$ )  
 - Shift AOM frequency  
 by appropriate amount ( $f$ );  
 - Determine  $S'$  and  $S = S' - S$

(3) Repeat sequence with altered Electric field values, same  $f$ .

(4) Find y-intercept of linear fit -- value of  $E^2$  which exactly matches  $f$



# Statistical Analysis



$y = m1 \cdot \text{Exp}(-\{(m0-m3)/m2\}^2) \dots$		
	Value	Error
m1	16.315	0.58099
m2	1.6904	0.069543
m3	103.11	0.049158
Chisq	5.4446	NA
R	0.99225	NA

Final Statistical Error: 0.20 kHz/(kV/cm)<sup>2</sup> (0.19%)

# Systematic Error Analysis

Doppler Shifts:

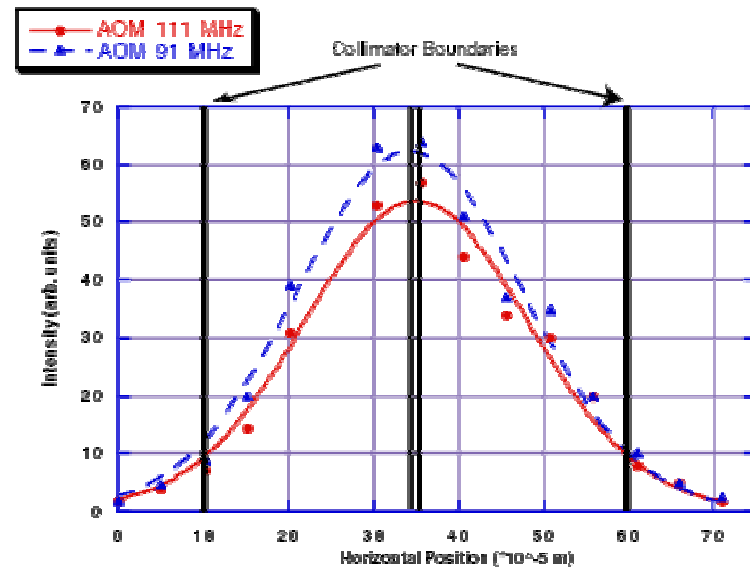
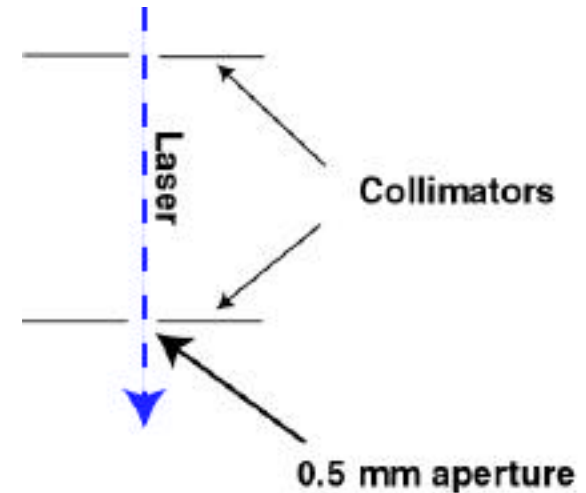
$$f = f_0 \left( 1 \pm \frac{v}{c} \right)$$

$$= 4 \times 10^{14} (300 \text{ m/s} / 3 \times 10^8 \text{ m/s}) * 10^{-3} \text{ rad}$$

$$= 0.4 \text{ MHz} \quad (0.38\%)$$

$$4 \times 10^{14} (300 \text{ m/s} / 3 \times 10^8 \text{ m/s}) * 10^{-4} \text{ rad}$$

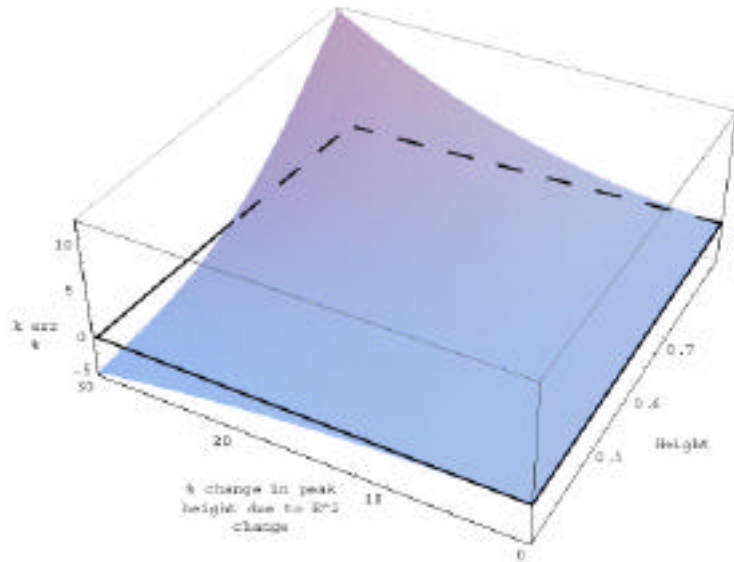
$$40 \text{ kHz} \quad (0.04 \%)$$



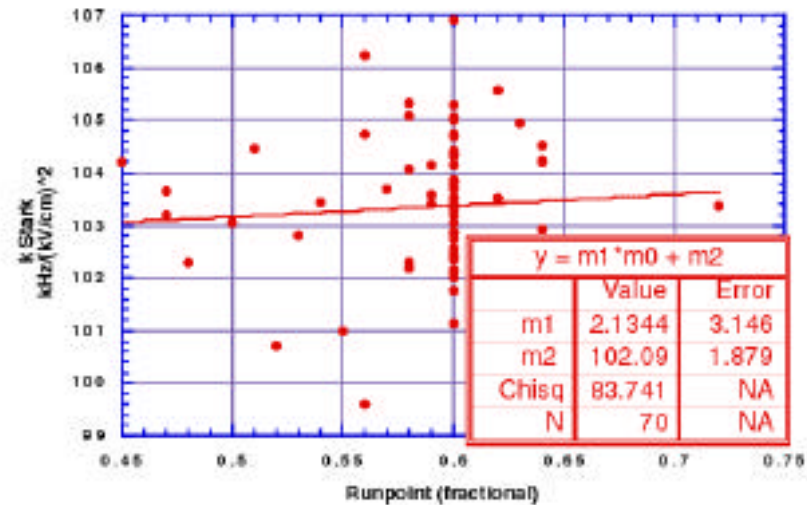
# Correlation Plots

- Concerns about linear fit used to extract  $k_{\text{Stark}}$  with Transmission Change method

Simulation:

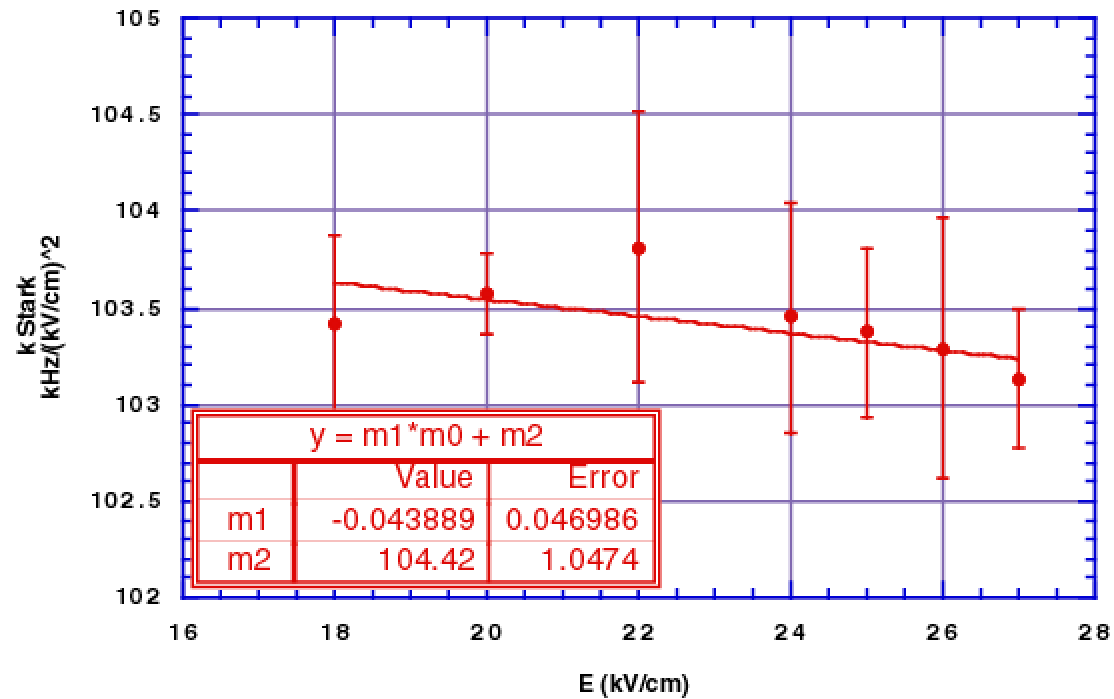


Measured:



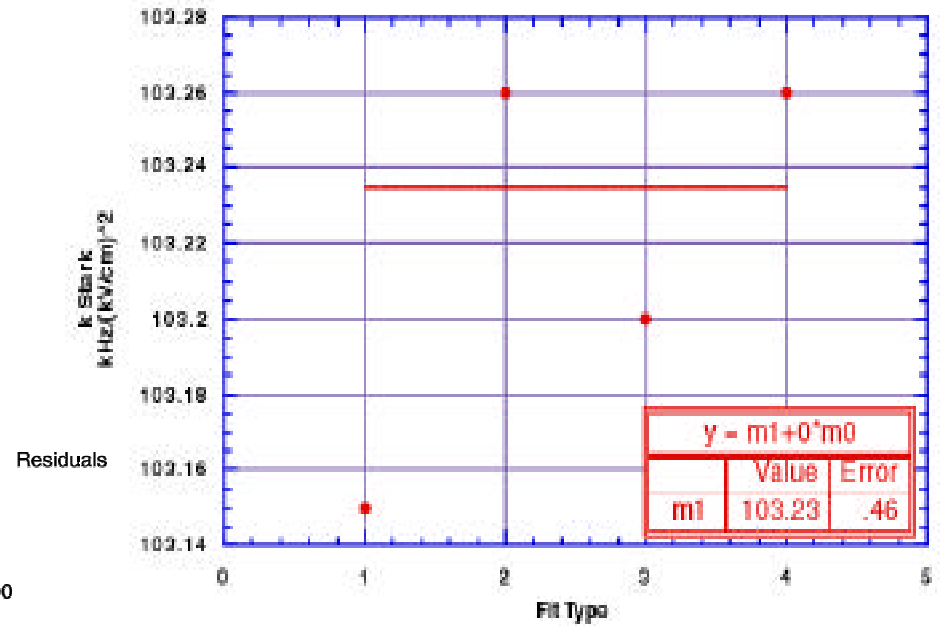
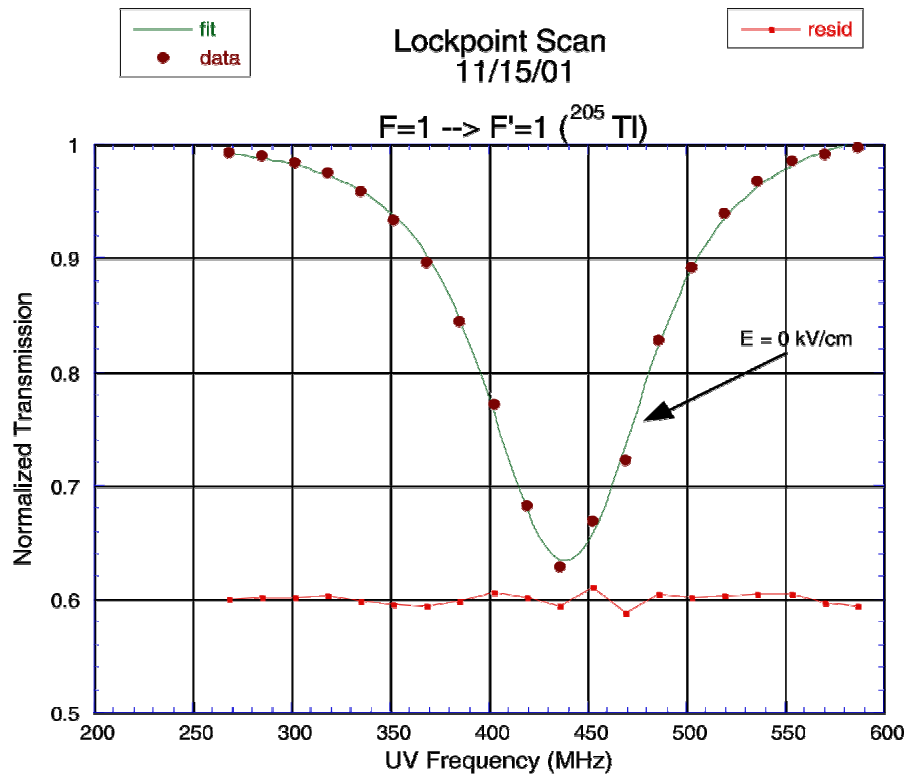
Symmetric data collection on both sides since opposite effect

- Should be no relation between  $E$  and  $k_{\text{Stark}}$ , but we check anyhow . . .



# Scan Errors

## Fitting Errors:





# Conclusions

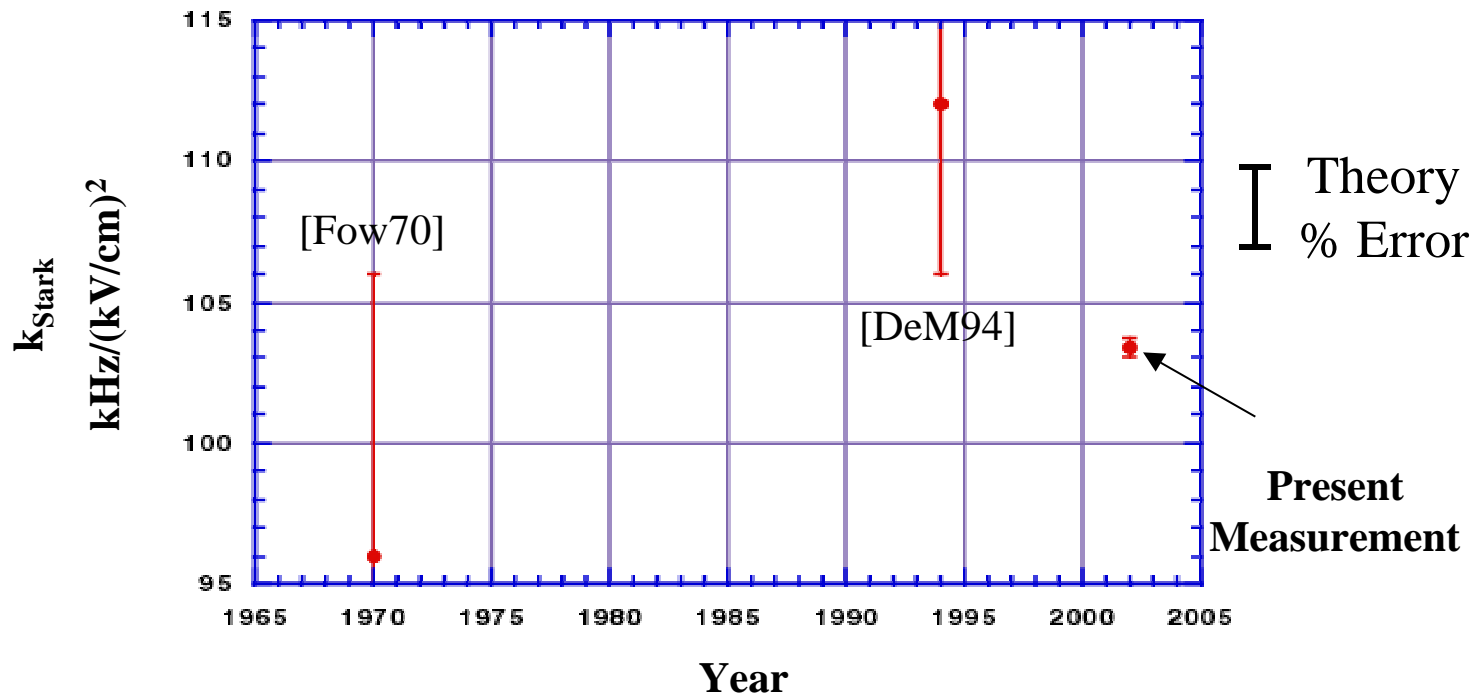
Final Values:

Scan:  $103.23(57) \text{ kHz}/(\text{kV}/\text{cm})^2$

Transmission Change:  $103.41(39) \text{ kHz}/(\text{kV}/\text{cm})^2$

Combined Value:  $103.34(37) \text{ kHz}/(\text{kV}/\text{cm})^2$

-Modest amount of data required before submission for publication in June



# Future

## Stark Induced Amplitude at 1283 nm:

